

$$g_{\alpha_r}(\alpha, r_{zon}) := \begin{pmatrix} \frac{m_{zon} \cdot G}{r_{zon}^2} \cdot \sin(\alpha) \\ \frac{m_{zon} \cdot G}{r_{zon}^2} \cdot \cos(\alpha) \end{pmatrix}$$

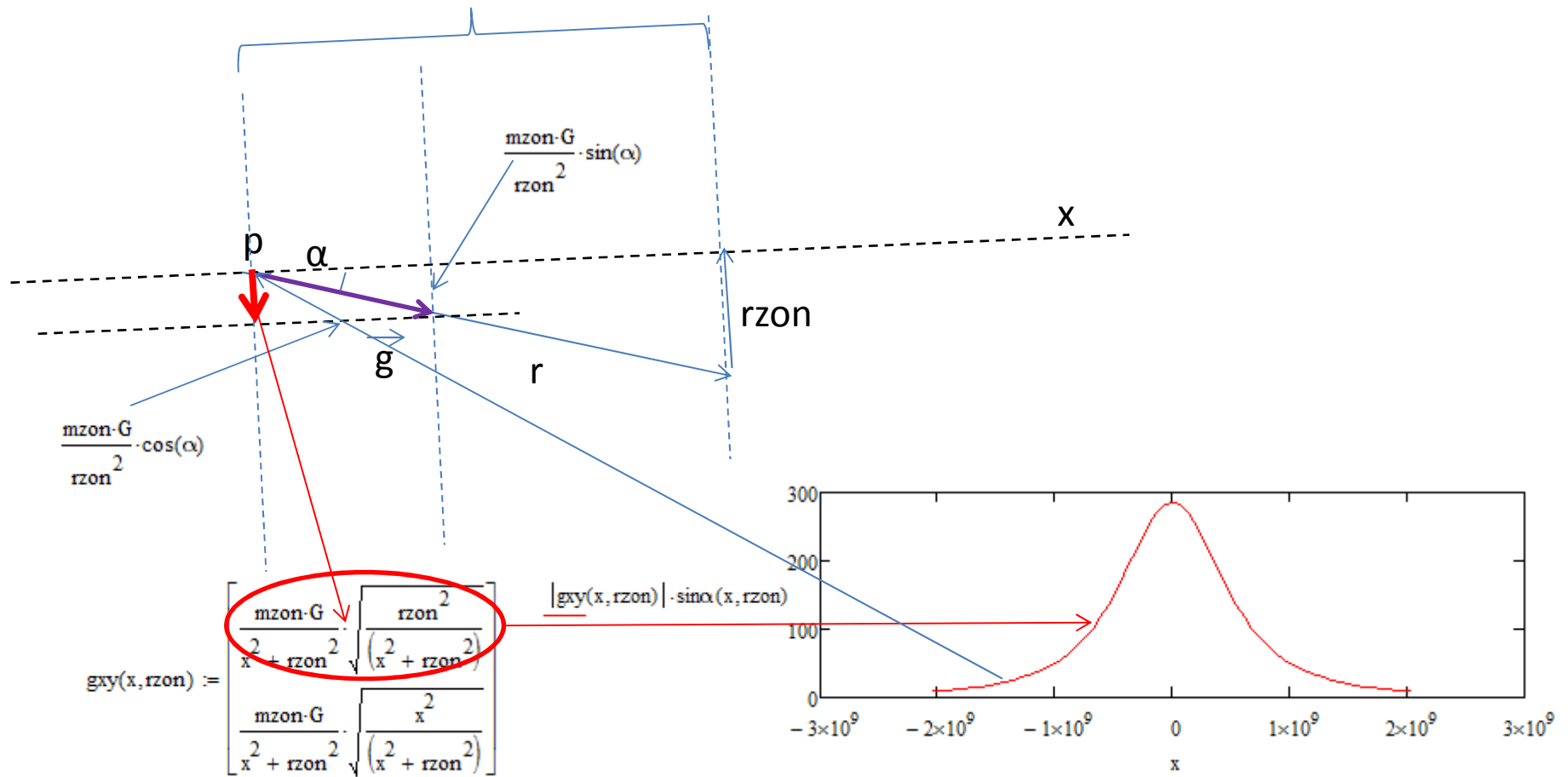
Fill in

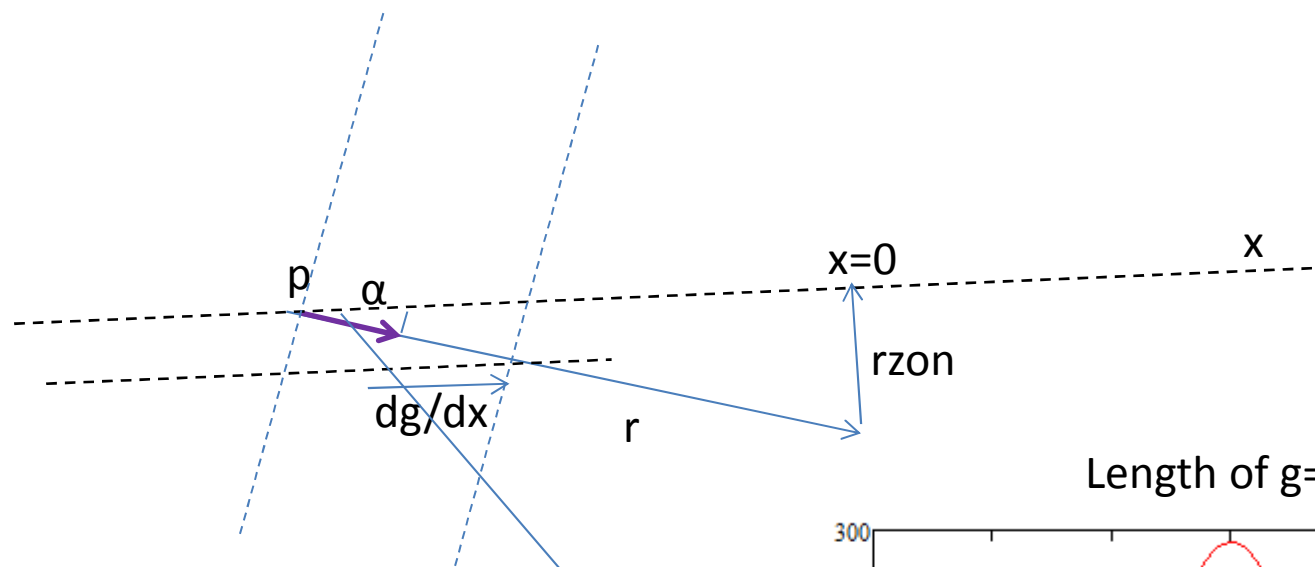
Fill in

gives

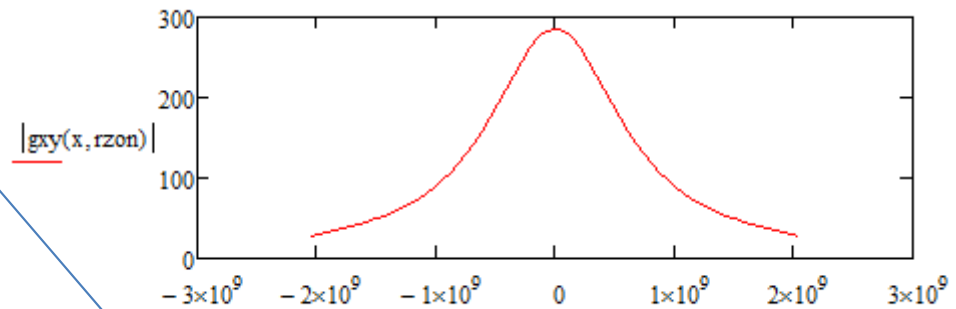
$$g_{xy}(x, r_{zon}) := \begin{bmatrix} \frac{m_{zon} \cdot G}{x^2 + r_{zon}^2} \cdot \frac{r_{zon}^2}{\sqrt{\left(\frac{x^2}{x^2 + r_{zon}^2}\right)}} \\ \frac{m_{zon} \cdot G}{x^2 + r_{zon}^2} \cdot \frac{x^2}{\sqrt{\left(\frac{x^2}{x^2 + r_{zon}^2}\right)}} \end{bmatrix}$$

Red vector is vertical part of g





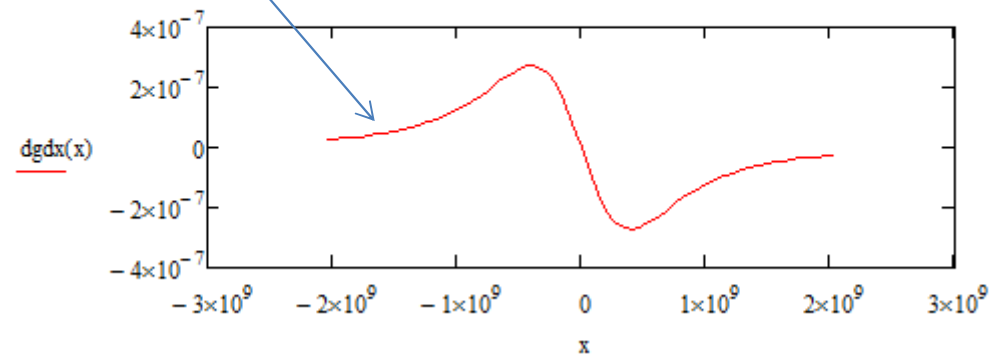
Length of  $g=F(x)$

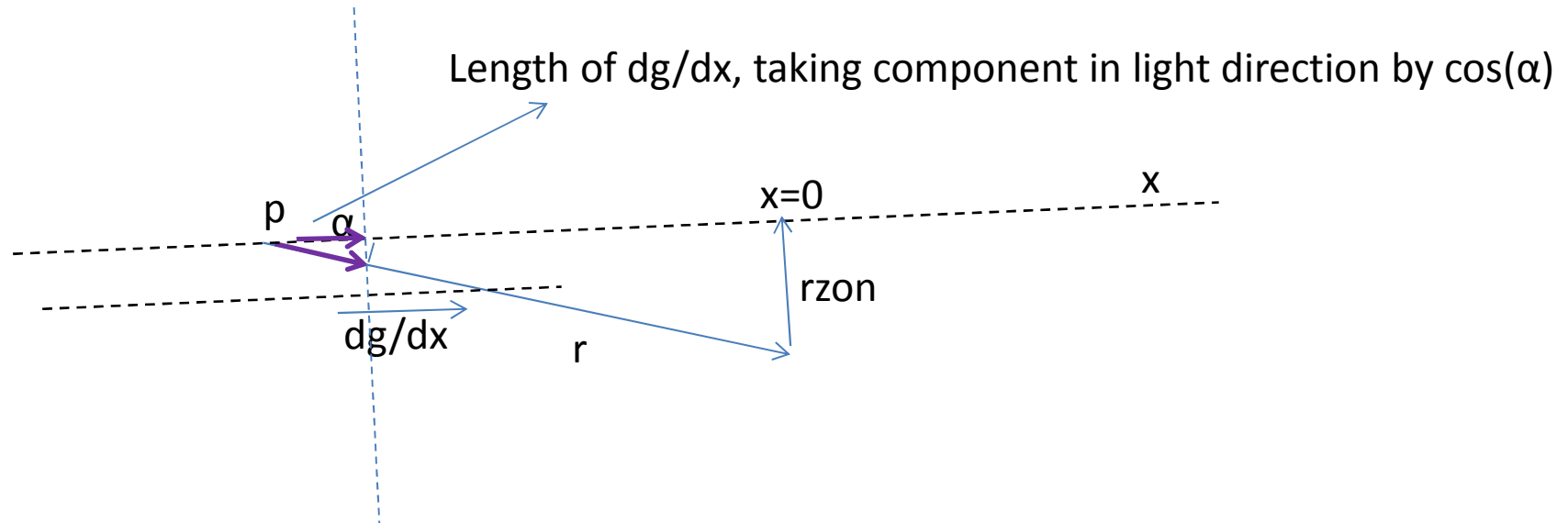


$$dgdx(x) := \frac{d}{dx} |g_{xy}(x, r_{zon})|$$

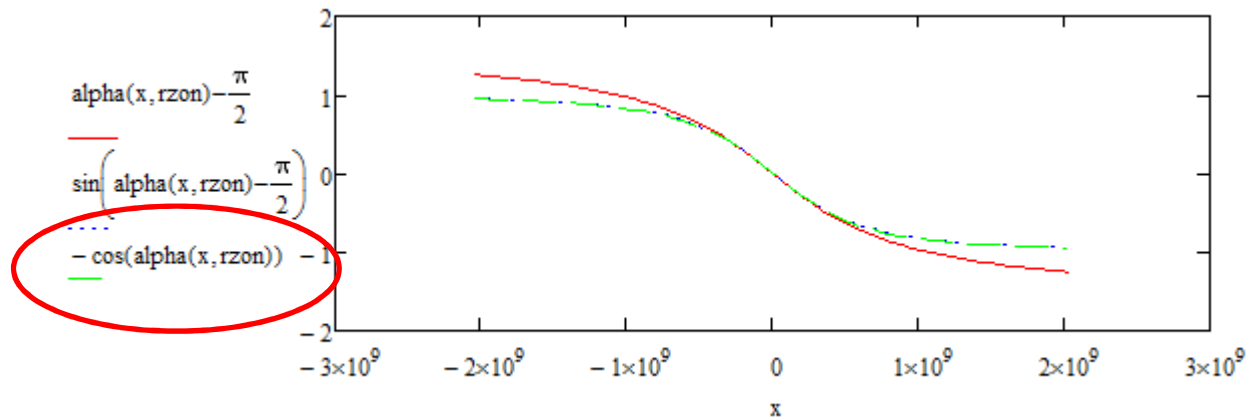


derivative



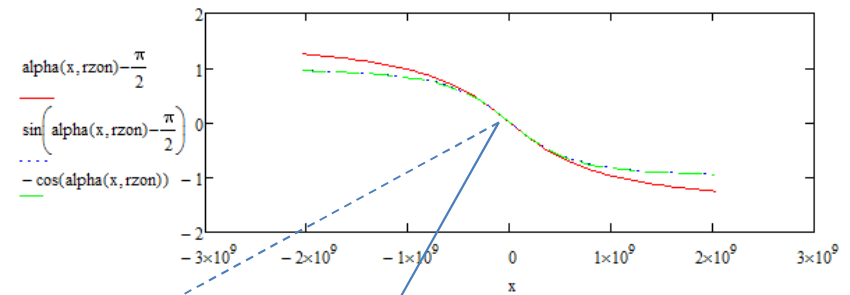
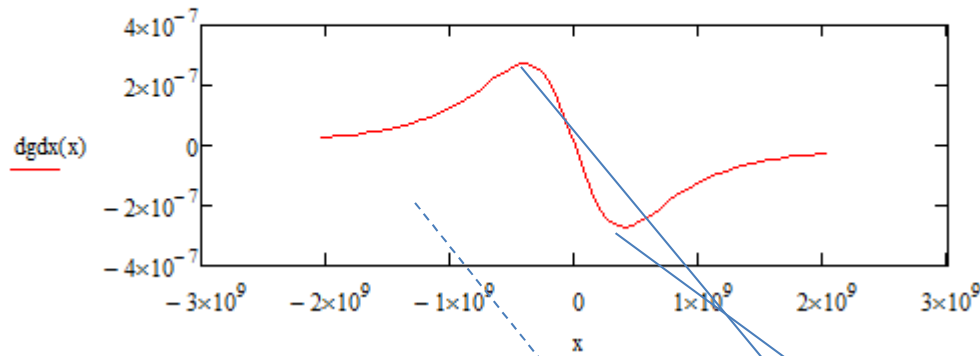


$\alpha$ ,  $\sin(\alpha - \pi/2)$  and  $-\cos(\alpha)$  as function of  $x$



## Fina result of the additional bending term

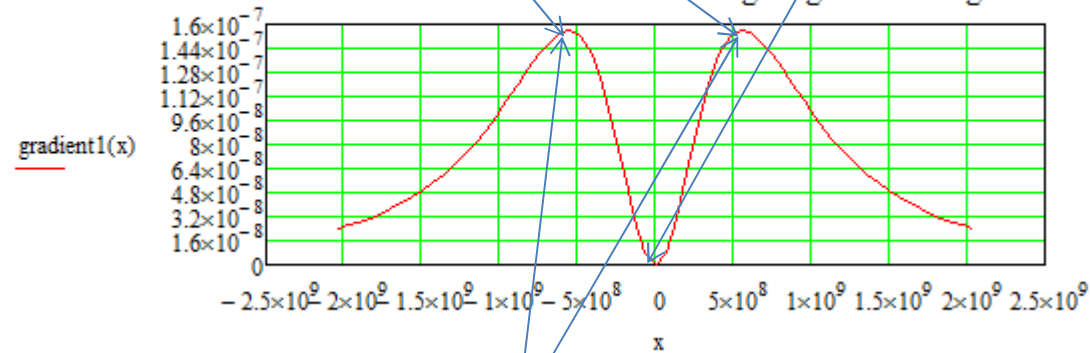
$$dgdx(x) := \frac{d}{dx} |gxy(x, rzon)|$$



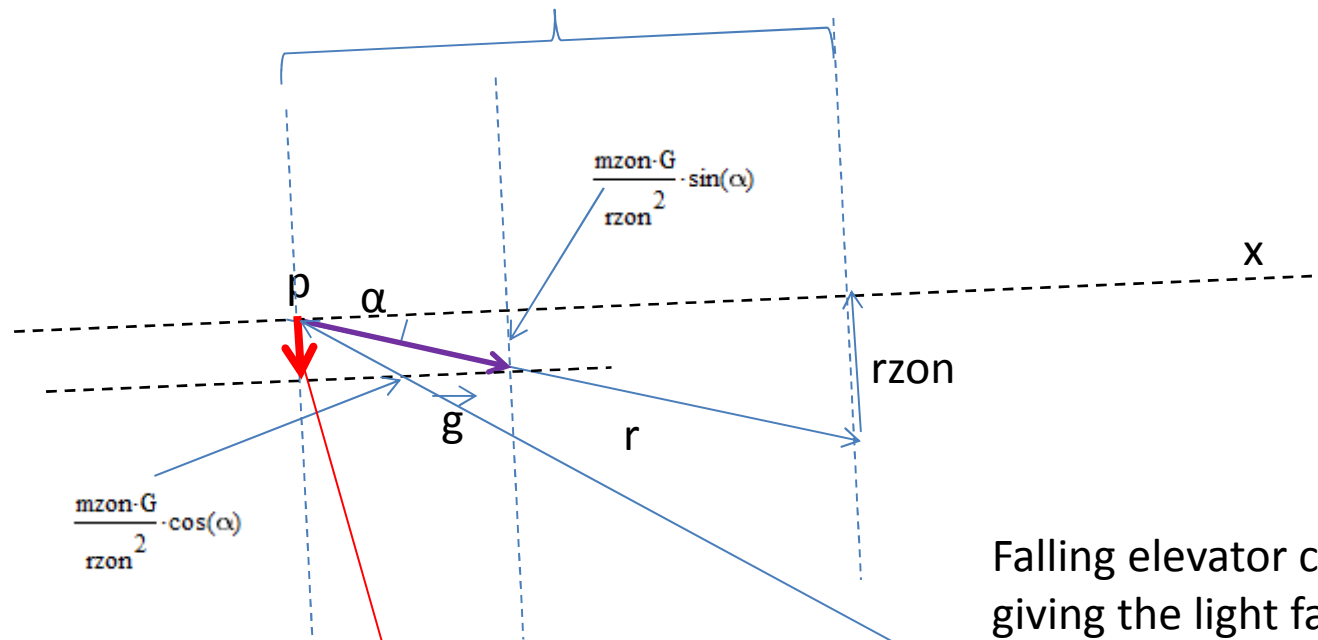
$$\text{gradient1}(x) := dgdx(x) \cdot -\cos(\alpha(x, rzon))$$

Zero due to zero in cos

additional refraction according to gradient in g



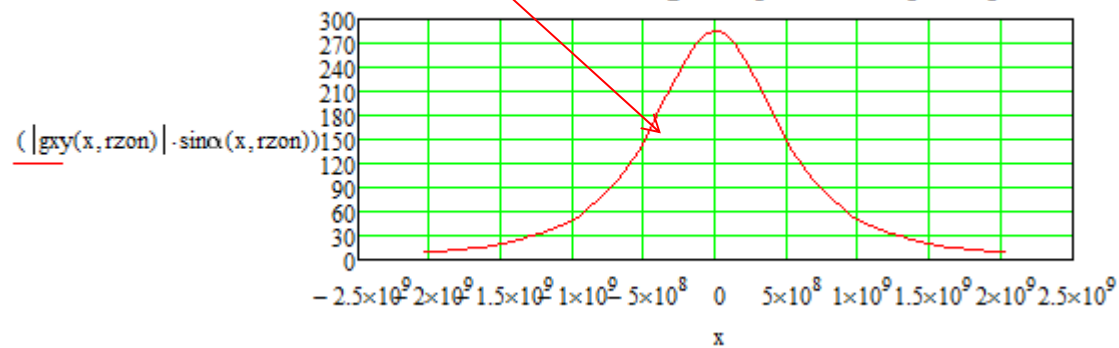
2 peaks due to maxima in dg/dx



Falling elevator component giving the light falling downwards

$$g_{xy}(x, r_{zon}) := \begin{bmatrix} \frac{m_{zon} \cdot G}{x^2 + r_{zon}^2} \cdot \frac{r_{zon}^2}{\sqrt{(x^2 + r_{zon}^2)}} \\ \frac{m_{zon} \cdot G}{x^2 + r_{zon}^2} \cdot \frac{x^2}{\sqrt{(x^2 + r_{zon}^2)}} \end{bmatrix}$$

refraction according to equivalence principle



Adding up both terms

$a := 1$

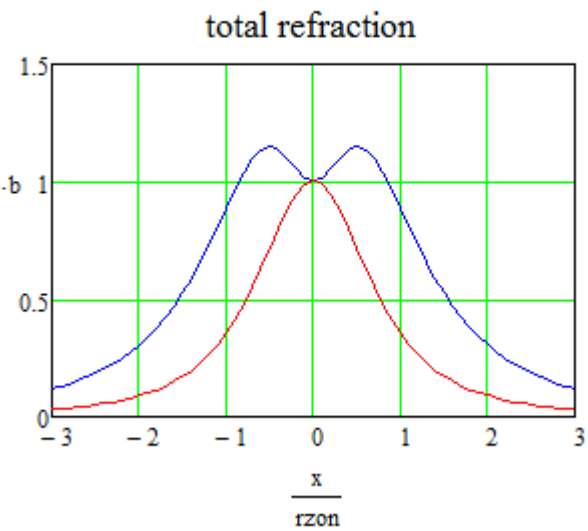
$b := 0.22$

$$\frac{(|g_{xy}(x, r_{\text{zon}})| \cdot \sin \alpha(x, r_{\text{zon}}))}{285} \cdot a + \frac{\text{gradient1}(x)}{6.12 \cdot 10^{-8}} \cdot b$$

—

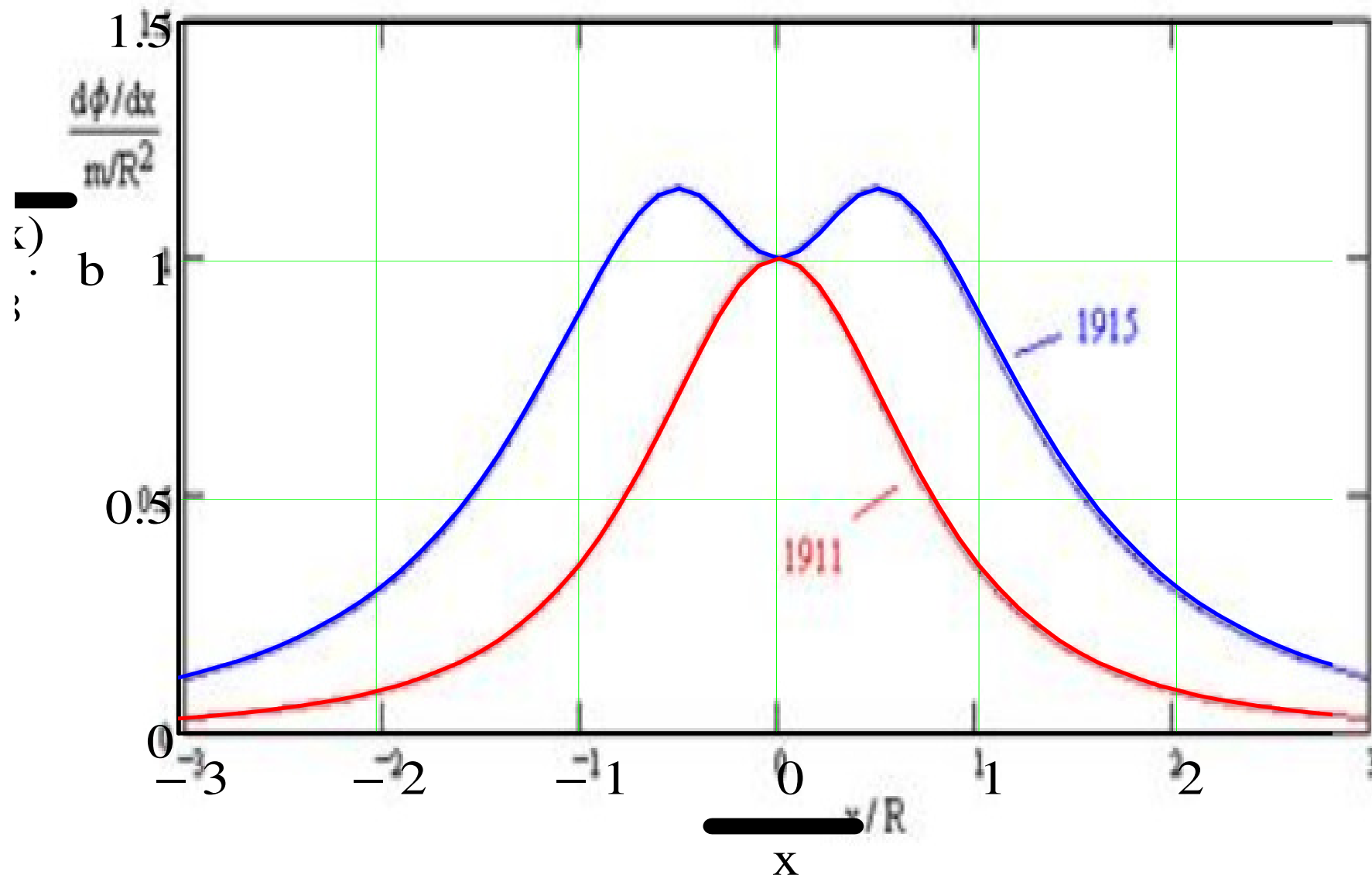
$$\frac{(|g_{xy}(x, r_{\text{zon}})| \cdot \sin \alpha(x, r_{\text{zon}}))}{285}$$

—





# total refraction



total refraction